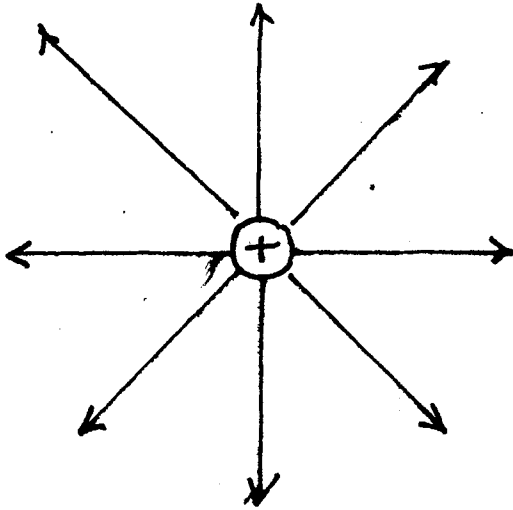


FIELD

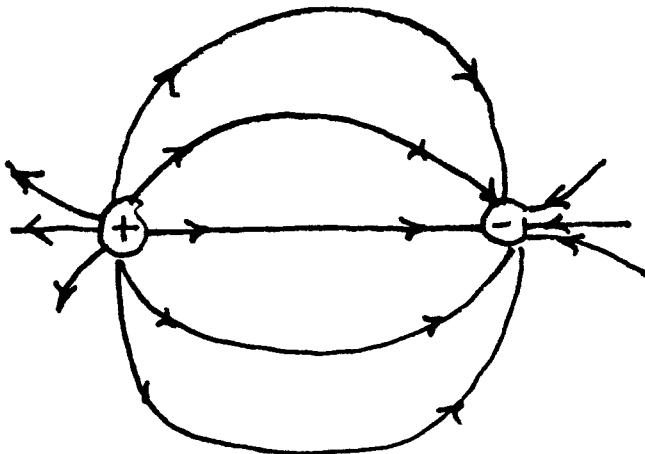
LINES OF FORCE

Again Faraday's invention to provide visual depiction of field - imaginary lines drawn in such a way ~~as to~~ that the direction at any point is the same as the direction of the \vec{E} field at that point

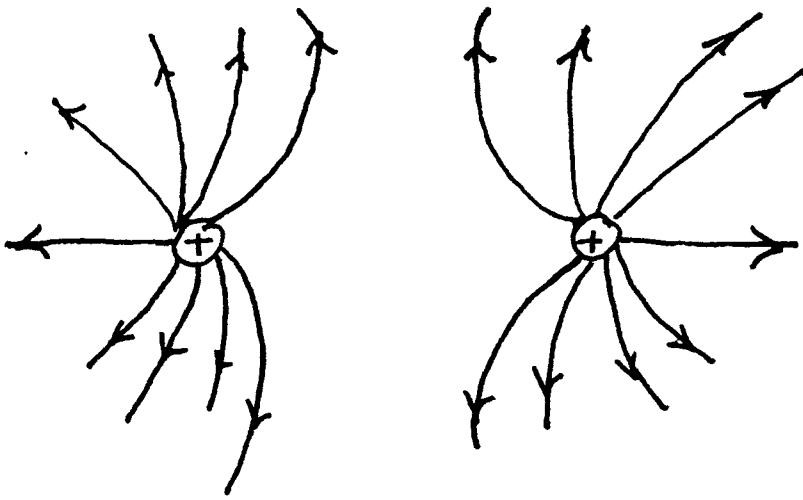


① Originate (point outward) from \oplus charge

Also indicate magnitude of field. Notice how spacing increases between lines as $r \rightarrow$ $E \propto \frac{1}{r^2}$



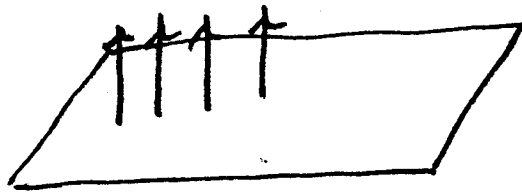
② Terminate (point toward) on \ominus charge



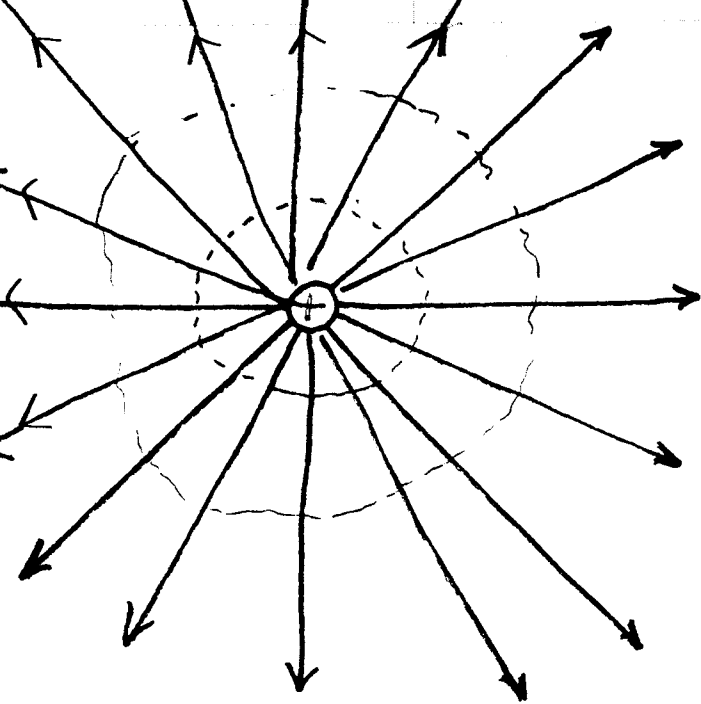
③ Never intersect
only 1 line
pass through
each point
of field

④ Magnitude of field given by number
of lines / crossing surface \perp to field
lines \propto electric intensity

Uniform field



lines straight
parallel
uniformly spaced.



GAUSS'S LAW

ELECTRIC FLUX

Suppose we take a point charge $+q$ and look at the Electric Field lines emanating from it. We

draw an imaginary sphere centered on this charge with radius $R \Rightarrow A = 4\pi R^2$. If there are N lines of force then the number of lines passing through a surface element of unit surface area is $\frac{N}{4\pi R^2}$. A sphere of radius $2R$ has $A = 4\pi (2R)^2 = 16\pi R^2$ thus the number of lines passing through the sphere per unit surface area is $\frac{N}{16\pi R^2}$ - The total number N of lines of force stays the same but at any radius R the field strength depends upon the distance

from the charge. The number of field lines passing through a unit surface area is a measure of the electric field intensity. The fact that the number of lines passing through a surface element at $R=2R$ is $1/4$ the number passing through an element at $R=R$ is a statement that at $R=2R$ the field is $1/4$ as strong as the field at $R=R$. Still there are a total of N lines of force

At any r $E = \frac{kq}{r^2}$ field strength depends on distance

and $A = 4\pi r^2$

But the product is constant

$$EA = 4\pi r^2 \frac{kq}{r^2}$$

Flux velocity \vec{v} $\rightarrow \vec{0}$ $\vec{0}$ $\vec{0}$
 $\text{flux} = v a$ $\text{flux} = 0$ $\text{flux} = v a \cos \theta$