

Physics 1C Week 1

- No reading quiz today!
- No labs this week!
- HW has been assigned (see WWW page)
 - Problem Section Wed 6-7:30pm
 - HW solutions will be posted on WWW site
- Office hours Wed 11:15 - 12:30 pm, SERF 312
- QUIZ ON FRIDAY : Bring blue book

Week 2:

- Reading Quiz Monday (bring Scantron)
- Labs Tuesday, Thursday
 - check section and location

Tools and Rules

- Friday Quizzes (45%). Closed book, best 3 out of 4 (no make-ups)
 - need 1 blue book per quiz
 - + 2 pens (no pencil), small ruler, calculator
 - Monday Reading Quizzes (5%). Best 3 out of 4
 - 4 multiple-choice questions + 1 "attendance" point
[unreadable scanner = 0 points]
 - Need Scantron form 20788 + 2B pencil
 - Tues, Thurs labs (25%) :
 - Need a quadrule-ruled lab notebook (prefer "carbon copy" pages)
 - Pre-lab homeworks to be handed in at start
 - Rest of lab is COLLABORATIVE
 - Final Exam (25%) : Friday September 7 9:30 - 12:30pm
 - No make-ups, inform me of conflicts ASAP.
-
- "Zero tolerance" on cheating → we will catch you!

How to do well in Physics 1C . . .

- Lectures + demos
- Reading assignments (Monday reading quizzes)
- Attempt HW problems honestly
- Participate in Problem Section, office hours
- Prepare for labs : pre-lab homeworks
+ understand goals, procedure.
- Ask questions

Grading:

Friday quizzes (best 3) : 45%.

Monday (best 3) : 5%.

Lab HW + expt : 25%.

Final Exam : 25%.

100%.

- No "curve" $\Rightarrow$ everyone can get an A
+ it pays to collaborate on labs

EM Waves (Hecht Chapter 22)

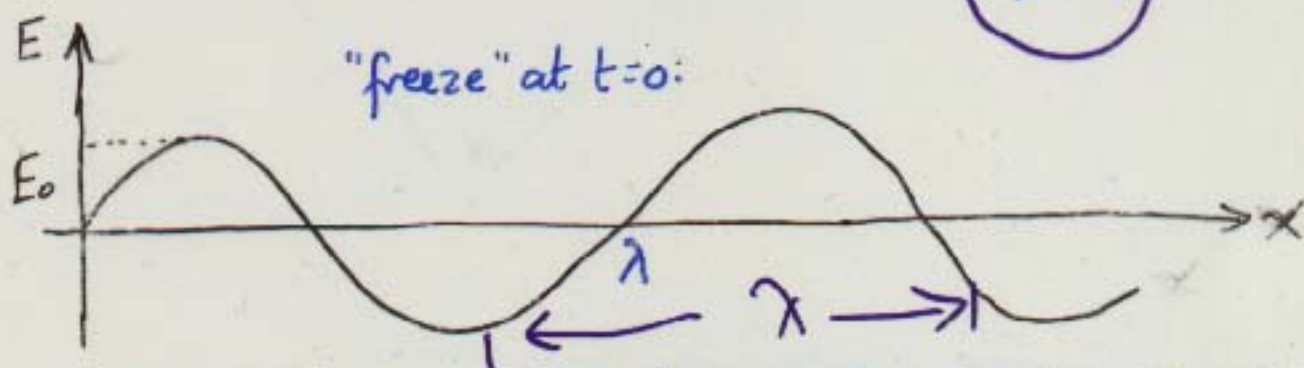
Solutions to Maxwell's eqns:

$$E = E_0 \sin \underbrace{\frac{2\pi}{\lambda} (x - ct)}_{\text{phase angle in radians}} ; B = E/c$$

$$= 3 \times 10^8 \text{ m/s}$$

phase angle
in radians

Harmonic wave with speed $v = c = \left(\frac{1}{\mu_0 \epsilon_0} \right)^{1/2}$



Wave repeats every 2π radians i.e. $x = \pm \lambda, \pm 2\lambda, \pm 3\lambda$
wavelength λ

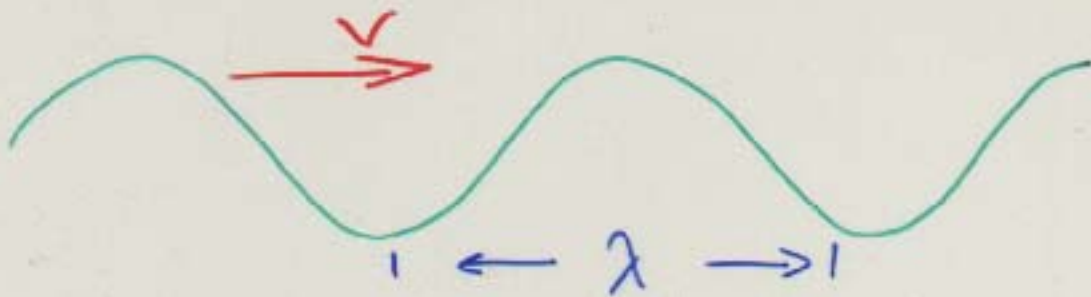
Now sit at $x = 0$ and watch $E(t)$

$$E(t) = E_0 \sin \left(\frac{2\pi c t}{\lambda} \right)$$

- repeats every 2π radians when $t = \pm \lambda/c, \pm 2\lambda/c, \dots$

i.e. repeat period $T = \lambda/c \Rightarrow f = c/\lambda \text{ [Hz]}$

$v = f \lambda$ for any Periodic Wave



As wave passes through a given point,

$$\begin{aligned} \# \text{ of oscillations in time } t &= \frac{\text{distance traveled}}{\text{wavelength}} = \frac{vt}{\lambda} \\ & (= \# \text{ of wavelengths passed by}) \\ & \equiv (\# \text{ oscillations/s}) \times \text{time} = ft \end{aligned} \quad \left. \vphantom{\frac{vt}{\lambda}} \right] \quad \left. \vphantom{ft} \right]$$

$$\therefore ft = \frac{vt}{\lambda}$$

$$\text{or } \overset{\text{m/s}}{v} = \overset{\text{s}^{-1}}{f} \overset{\text{m}}{\lambda}$$

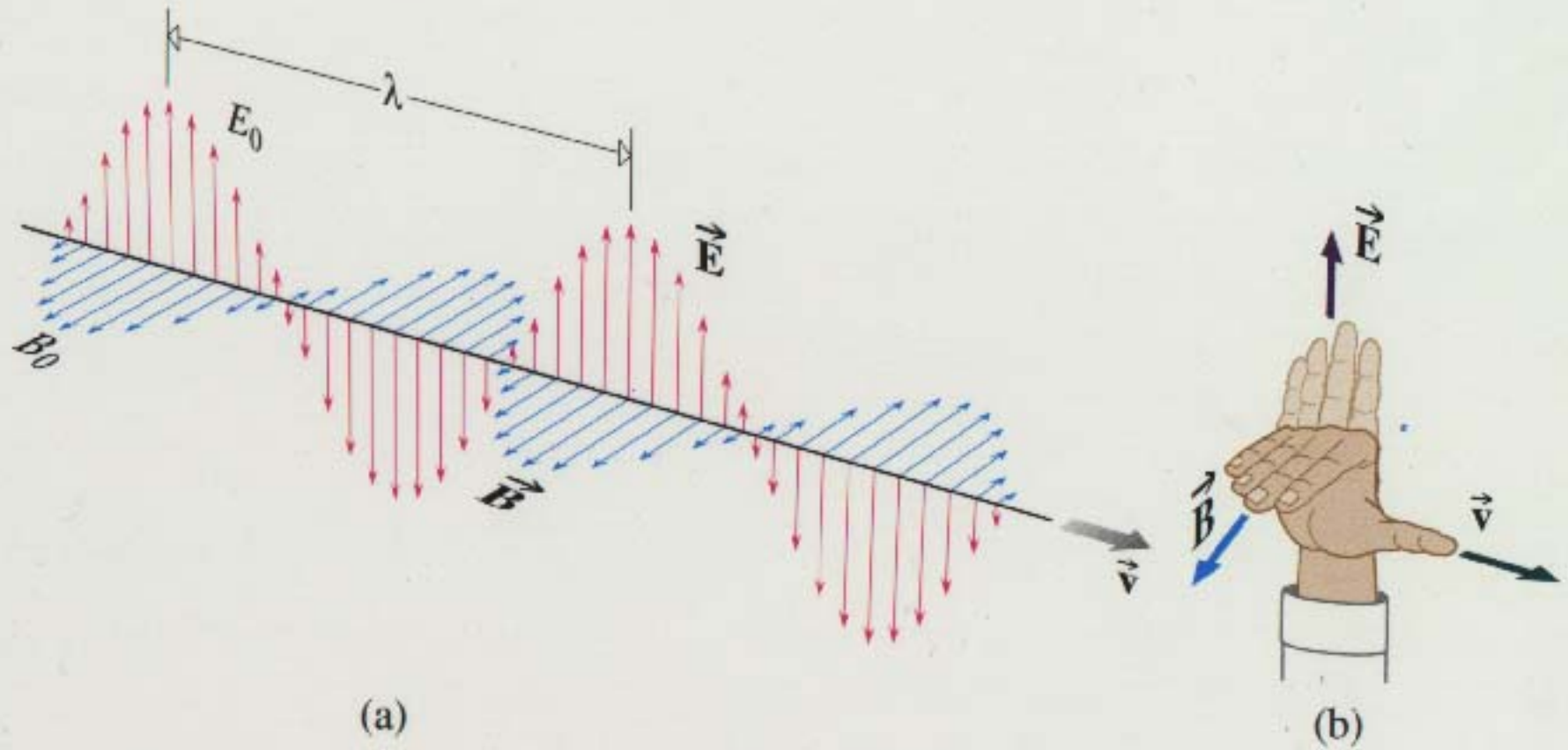
e.g. For $\lambda = 0.75 \text{ m}$ sound wave

$$\bullet \text{ freq. } f = \frac{v}{\lambda} = \frac{330 \text{ m/s}}{0.75 \text{ m}} = 440 \text{ Hz}$$

For $\lambda = 0.75 \text{ m}$ EM wave

$$f = \frac{c}{\lambda} = \frac{3 \times 10^8 \text{ m/s}}{0.75 \text{ m}} = 4 \times 10^8 \text{ Hz or } 400 \text{ MHz}$$

Figure 22.8

Harmonic electromagnetic wave

$$B = E/c$$

$\vec{E}$, $\vec{B}$ fields in EM Waves

$\vec{E}$, $\vec{B}$ in EM wave are linked

: $\vec{E} \perp \vec{B}$, both $\perp$ to direction of travel (transverse)

$B = E/c$, small, in phase with $\vec{E}$

Force on charge q : $\vec{F} = q(\vec{E} + \vec{v} \times \vec{B})$

$\vec{E}$ field does work on charge

Define Potential Difference (Voltage) as

$$V = \frac{\text{work done}}{\text{unit charge}} = [\text{Joule/Coulomb or Volt}]$$

$$\text{Then work} = \int \vec{F} \cdot d\vec{x} = q \int \vec{E} \cdot d\vec{x} \equiv qV$$

or $\vec{E} = \frac{dV}{dx}$: electric field is gradient
of potential difference
 [N/C or V/m]

e.g. Place 2.0m antenna $\perp$ to $\vec{E}$ in EM wave

$\Rightarrow$ peak voltage difference between ends

$$\Delta V \approx \frac{dV}{dx} \cdot \ell = E \cdot \ell = 4 \text{ mV when } E = 2 \text{ mV/m.}$$

Energy Transfer : Irradiance

115

$\underline{E}$, $\underline{B}$ hard to measure directly

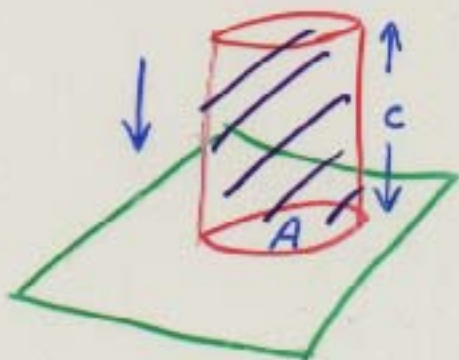
but can measure energy density of wave

$$U = U_E + U_M = \frac{1}{2} \epsilon_0 E^2 + \frac{1}{2} \frac{B^2}{\mu_0} \quad [\text{J/m}^3]$$

Use $B = E/c$ in wave ; $U = \epsilon_0 E^2$

Average over sine wave $E^2 = E_0^2 [\sin^2 2\pi ft]$

$$\Rightarrow U = \frac{1}{2} \epsilon_0 E^2 \quad (\propto \text{amplitude}^2)$$



In 1s, area A
absorbs EM energy in
volume = Ac

$\Rightarrow$ energy absorbed / s / unit area :

$$\text{Irradiance } I = \frac{\frac{1}{2} \epsilon_0 E_0^2 c A}{A} = \frac{1}{2} c \epsilon_0 E_0^2 \quad [\text{W/m}^2]$$

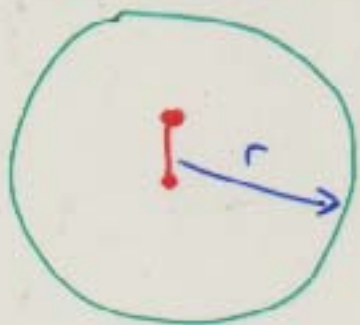
Note: For isotropic source $I = \frac{P}{4\pi r^2}$: inverse square law

$$\text{so } I \propto E_0^2 \propto \frac{1}{r^2} \Rightarrow \text{electric field } E \propto \frac{1}{r}$$

Example (cf. Hecht Ex. 22.3)

4/10
1/6

Radio station outputs 10kW spread over sphere



$$\text{At } r = 100\text{km}, I = \frac{P}{4\pi r^2} = 8 \times 10^{-8} \text{ W/m}^2$$

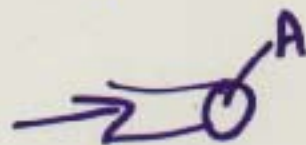
$$\therefore \text{using } I = \frac{1}{2} \epsilon_0 c E_0^2$$

$$\Rightarrow \text{peak E field } E_0 = \sqrt{\frac{2I}{\epsilon_0 c}} = 7.6 \text{ mV/m}$$

So a 50cm car antenna $\rightarrow \Delta V = 7.6 \text{ mV/m} \times 0.5\text{m} = 3.8\text{mV}$

- easy to detect + amplify

c.f. laser beam with $P = 1.0\text{mW}$



BUT focussed into 1mm radius circle $A = \pi r^2$

$$\Rightarrow I = \frac{P}{A} = 320 \text{ W/m}^2 \text{ and } E_0 = 0.5 \text{ kV/m}$$

- enough to damage eyes

$\therefore$ low power, but high intensity lasers can cut metal!

The whole spread of radiant energy, which conceptually ranges in wavelength between zero and infinity, is referred to as the **electromagnetic spectrum**. It is usually subdivided into seven more or less distinct regions. These were delineated originally as much by historical circumstance as by physical necessity, and so there tends to be a good bit of overlap in the categories. Needless to say, light was discovered first, then infrared (1800), ultraviolet (1801), radiowaves (1888), X-rays (1895), gamma rays (1900), and, finally, it was just a technical matter of filling in the microwaves, which was done in the 1930s, primarily with an eye toward radar (Fig. 24.15).

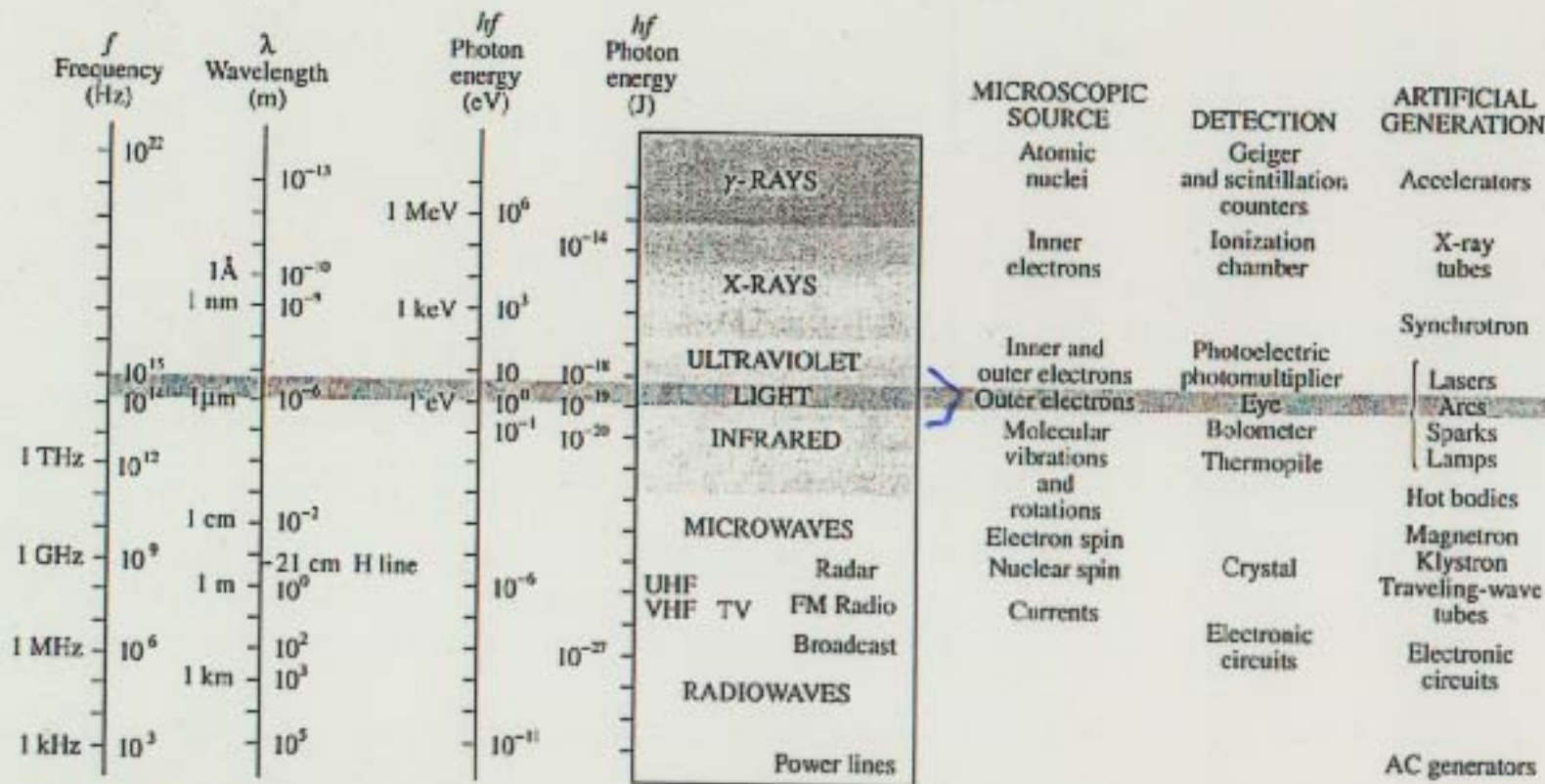


Figure 24.15 The electromagnetic spectrum.